Measurements of trap dynamics of cold OH molecules using resonance-enhanced multiphoton ionization

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Trapping cold, chemically important molecules with electromagnetic fields is a useful technique to study small molecules and their interactions. Traps provide long interaction times, which are needed to precisely examine these low-density molecular samples. However, the trapping fields lead to nonuniform molecular density distributions in these systems. Therefore, it is important to be able to experimentally characterize the spatial density distribution in the trap. Ionizing molecules at different locations in the trap using resonance-enhanced multiphoton ionization (REMPI) and detecting the resulting ions can be used to probe the density distribution even at the low density present in these experiments because of the extremely high efficiency of detection. Until recently, one of the most chemically important molecules, OH, did not have a convenient REMPI scheme identified. Here, we use a newly developed 1 + 1' REMPI scheme to detect trapped cold OH molecules. We use this capability to measure the trap dynamics of the central density of the cloud and the density distribution. These types of measurements can be used to optimize loading of molecules into traps, as well as to help characterize the energy distribution, which is critical knowledge for interpreting molecular collision experiments.

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I. INTRODUCTION

Confining cold molecules in electric, magnetic, or optical traps allows for precision studies of molecules and their interactions due to long interrogation times. Neutral molecule trap lifetimes can range from seconds to minutes [1-3], depending on the residual background gas pressure and blackbody optical pumping rates [4]. These long interaction times are required to study molecular interactions in cold systems, as the density of trapped samples is typically very low $(10^3-10^8 \text{ cm}^{-3})$ [1,2,5,6]. The long lifetimes increase the probability that interactions can take place before the molecules are ejected from the trap by collisions with background gas or by photon scattering [4]. There have been many recent experiments that have explored various electrostatic [7–10] and magnetic [11-13] trapping geometries and others that have demonstrated additional in-trap cooling [14–19]. Importantly, several experiments have taken advantage of trapped molecules to study the properties of the molecules themselves, including vibrational relaxation of OH [20] and NH [21]. Additionally, studies of molecular interactions have benefited from trapped samples including cold atom-molecule collisions [22–24], molecule-molecule collisions [25], and collisionally assisted evaporative cooling [26]. (Here, we restrict our discussion to cold molecules not created by assembly of ultracold atoms.)

One of the most challenging aspects of these experiments is detecting trapped molecules. The two main methods are laser-induced fluorescence (LIF), where emitted photons are detected using a photomultiplier tube, and resonant ionization, where the resulting ions are detected using a microchannel plate (MCP) detector. Resonant ionization typically has a higher efficiency, as ions can be detected with nearly unit efficiency, while photon collection in LIF is limited by the solid angle of the detection optics, which is only a few

percent at best. LIF detection not only produces a lower signal, but also can have a larger noise contribution, as the molecules are trapped close to reflective surfaces, which increases the scattered light impinging on the detector. For ion detection, the ions are usually sent through a time-of-flight mass spectrometer, nearly eliminating the contribution to the noise from other molecular species. Finally, because of the low signal-to-noise ratio, experiments that use LIF must illuminate the entire cloud of molecules to increase the number of photons emitted by the molecules. These measurements produce information about only the total trapped number or average density, and not about the spatial distribution of the molecules in the trap. Resonance-enhanced multiphoton ionization (REMPI), on the other hand, has a high enough signal-to-noise ratio that the ionization laser can be focused to illuminate a small portion of the trapped sample. Then, by making measurements of the molecular density at different laser positions, we can profile the density distribution in the trap. The density distribution in the trap can be used to determine the energy distribution or temperature, which are important parameters to measure in many cold-molecule experiments. The importance of measuring the density distribution, and not just the number in the trap, was shown in a study of collisions between electrostatically trapped ammonia molecules and magnetically trapped rubidium atoms [22]. Since the density, and thus the collision rate, varies spatially in the trap, extracting collision cross sections requires a detailed understanding of the molecular distribution. Therefore, studies of trapped molecules benefit greatly from an efficient and spatially selective resonant ionization scheme.

Convenient REMPI schemes have been used to measure the density distribution and understand collisional dynamics with trapped ammonia [22]. However, until recently, the OH radical, which is a fundamental molecule in atmospheric [27], interstellar medium [28,29], and combustion [30,31] chemistry, did not have an efficient REMPI scheme identified and all trapped studies used LIF [2,20,25,26,32,33]. In 2011, the Lester group

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demonstrated a new UV + VUV REMPI scheme to state-selectively ionize ground-state OH radicals using 118-nm light as the VUV photon [34–36]. They used the REMPI scheme to examine the OH products from unimolecular dissociation of Criegee intermediates [37,38]. Here, we present the first measurements of trapped OH molecules using this ionization detection scheme. This method allows us to measure not only the relative number of molecules in the trap, but also the temporal evolution of the spatial density distribution. We use this new capability to measure trap loading dynamics to optimize the loading process and determine the energy distribution in the tap. Proper trap loading and characterization of the energy distribution are important for future atom-molecule collision experiments.

II. REMPI of OH

The 1+1' REMPI scheme used to detect trapped OH molecules uses two photons; the first photon causes a bound-to-bound transition around 281 nm and the second photon (118 nm) excites the molecule to an autoionizing Rydberg state whose lifetime is of the order of a picosecond [36]. The relevant energy structure of OH is shown in Fig. 1. The trapped molecules are in the ground rotational (J=3/2)

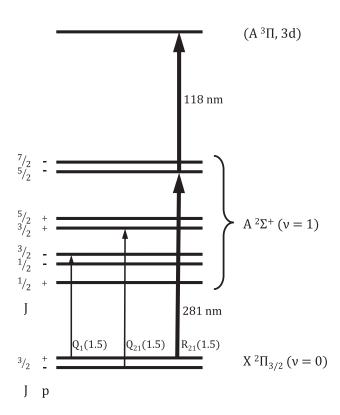


FIG. 1. Energy level diagram of OH showing the relevant levels for the 1+1' REMPI detection scheme. The lowest two levels are the Λ -doublet states of $X^2\Pi_{3/2}$. The first photon is resonant with the $A^2\Sigma^+$, $\nu=1\leftarrow X^2\Pi_{3/2}$, $\nu=0$ transition and is denoted $R_{21}(1.5)$. The second photon transfers the molecule into the $A^3\Pi$, 3d Rydberg state, from which it autoionizes. J is the total angular momentum, and p is the parity. Vertical spacing between energy levels is not to scale.

and vibrational ($\nu=0$) state of the $X^2\Pi_{3/2}$ electronic state. The first photon (UV) is tuned to the $A^2\Sigma^+$, $\nu=1\leftarrow X^2\Pi_{3/2}$, $\nu=0$ transition. There are several possible rotational states to transfer the molecule into with the UV photon. The strongest $A\leftarrow X$ transition is $Q_1(1.5)$, shown in Fig. 1. Beames *et al.* observed that in a supersonically expanded jet of OH, the highest ionization signal was achieved when the UV photon was resonant with the $Q_{21}(1.5)$ transition [35]. However, this transition originates from the lower Λ -doublet level and only the upper Λ -doublet level is trappable with the static electric fields used in our experiments. The strongest transition that originates from the upper Λ -doublet level is the $R_{21}(1.5)$ transition, which is used in the work presented here. The second step in the process transfers the molecule to an autoionizing Rydberg state using a 118-nm photon.

III. EXPERIMENTAL SETUP

The experimental setup is shown in Fig. 2. OH radicals are produced at the exit of a piezoelectric transducer valve by electric discharge of 1% water seeded in krypton. The molecules are cooled both internally and translationally in the supersonic expansion, producing a beam of OH radicals moving at a mean velocity of 415 m/s and mostly in their rovibronic ground state. The molecular beam is slowed to 34 m/s by a pulsed Stark decelerator, which uses time-varying inhomogeneous electric fields to decelerate polar molecules [39]. An electrostatic trap located at the end of the decelerator is used to reduce the mean velocity of the molecules to nearly 0 by switching the potentials of the four trap electrodes on and off at different times during the loading process (Fig. 3). The final potentials of the trap electrodes form a three-dimensional (3D) trap for OH with a trap depth of 700 μ K in the z direction and 250 μ K in the x and y directions (Fig. 2).

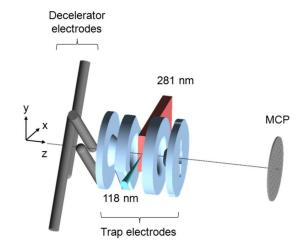


FIG. 2. Experimental setup showing the last two rod pairs of the Stark decelerator, four trap electrodes, detection lasers, and MCP detector. The red rectangular prism represents the 281-nm laser beam, while the blue cone represents the 118-nm light. The molecular beam propagates along the z axis. (Not to scale.)

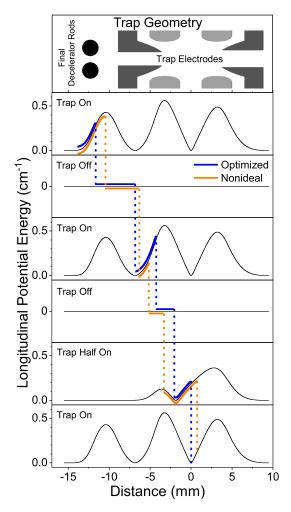


FIG. 3. Diagram of the trap loading process for both an optimized and a nonideal sequence. The locations of the final decelerator electrode and the four trapping electrodes are shown at the top. The longitudinal potential energy curves seen by the OH molecules are shown in the panels for three configurations of applied voltage. The "trap on" configuration has the following voltages applied in order, from left to right (decelerator, left trap endcap, left trap ring, right trap ring, right trap endcap) = (0, -10, +10, +10, -10) kV. "Trap half on" has the voltage configuration (0, 0, +10, 0, -10) kV, and "trap off" has all electrodes grounded. The blue segments (offset upwards) represent the potentials seen by the central molecule in the optimized sequence while the orange segments (offset downwards) represent the nonideal sequence. Switches between configurations are shown by vertical lines.

Molecules in the trap are detected using the 1+1' REMPI scheme. The two detection laser beams enter the center of the trap perpendicular to the molecular beam axis through a 3-mm gap between the two central trap electrodes. A frequency-doubled pulsed dye laser, which produces light at 281 nm, excites the OH molecules on the $R_{21}(1.5)$ transition as shown in Fig. 1. The 281-nm beam has a beam waist of 2 mm in the y direction and is focused by a 50-mm-focal-length cylindrical lens to have a beam waist of around 0.5 mm in the z direction at the trap center. The pulse energy of this

laser is 4.7 mJ per pulse, which is enough to saturate the transition.

To create the 118-nm light, the third harmonic of a pulsed Nd:YAG laser at 355 nm is frequency tripled in a gas cell containing xenon and argon [40-42]. The 355-nm light is focused with a 500-mm-focal-length lens into the gas cell containing 24 Torr of xenon mixed with argon at an Ar:Xe ratio of 10.3:1. The xenon provides the nonlinear medium, while the argon is used to satisfy the phase-matching condition. We estimate that we create 1 nJ/pulse of 118-nm light. A 250-mm-focal-length MgF₂ lens, which serves as the vacuum window and separates the gas cell from the ultrahigh vacuum trapping chamber, focuses the 118-nm light to a diameter estimated to be 30 μ m at the center of the trap. Chromatic dispersion of the MgF₂ lens is used to collimate the residual 355-nm light, the majority of which is blocked by an alumina aperture before the trap. The position of the focus of the 118-nm laser can be scanned both vertically and horizontally using a computer-controlled closed-loop picomotor (New Focus Model 8310).

The central molecular column density and density distribution along the *y* axis are measured during the trap loading process, after the trap has been loaded, and after the trap has been turned off to allow the cloud of molecules to expand. During ionization, the potentials of the four trap electrodes are rapidly switched off during the laser pulses and then changed to (3, 3, 2, 0) kV to create a uniform electric field and accelerate the ions through a time-of-flight mass spectrometer to an MCP detector. The signal from the MCP corresponding to mass/charge = 17 is recorded via a multichannel scaler (Stanford Research Systems SR430). For all experimental data presented below, each point represents 1000 individual laser shots (100 s of integration), with error bars representing the statistical uncertainty in the measurement.

IV. MOLECULAR DYNAMICS SIMULATIONS

To help interpret the experimental results, 3D molecular dynamics simulations are performed in two stages. The first stage simulates the trajectory of the molecules from the nozzle of the piezoelectric transducer valve to the end of the Stark decelerator. The molecules experience time-varying forces due to the interaction of the molecules' electric dipole moment and the time-varying electric field created by the high-voltage electrodes. More information on this simulation can be found in Refs. [22,43]. Molecules are then propagated through the trapping region using a second simulation using the phase-space distribution of the molecules from the decelerator simulation as the input. The vector force fields for each configuration of the potentials on the electrodes are generated via a commercial finite-element solver, COMSOL, and linearly interpolated to the location of each molecule at every time step. A second-order, symplectic, velocity-Verlet integrator is used to propagate the molecules forward in time. An integration time step of 2 μ s is used to minimize the computation time without sacrificing the required accuracy. To mimic experimental measurement conditions, every 50 μ s, we create a 2D histogram of the number of molecules in the y-z plane, where each bin of the histogram is 50 μ m wide in the y and z dimensions and is 6 mm long in the x dimension.

This simulated measurement scheme allows us to record data with a high spatial and temporal resolution to compare with experimental data. All trapping simulations were run with an initial number of 3.5×10^6 molecules.

V. RESULTS AND DISCUSSION

A. Trap loading dynamics

Efficiently loading cold molecules from a decelerator into a trap is critical to be able to perform subsequent experiments, as the number density exiting a decelerator is already low. We use information about the time evolution of the central molecule column density and the in-trap density distribution to optimize loading into a quadrupole electrostatic trap. Previously, only the total number was used in this optimization procedure, which could cause situations where the central column density of the sample was not at a maximum, leading to poor initial conditions for collision studies.

Figure 4 shows the column density, which was produced by integrating through the x dimension, at the center of the trap during the loading process for two sample loading procedures (see Fig. 3). The optimized scheme [Fig. 4(a)] was created by varying the trapping stage times to maximize the column density at the center of the trap at long times in the trap (15 ms). The nonideal scheme [Fig. 4(b)] was made by using a similar optimization procedure, but timings were varied to maximize the column density about 1 mm away from the trap center in the longitudinal direction. This produced an example of a scheme that traps a large number of molecules but does not produce a high density in the trap center. The nonideal trapping scheme also induces both longitudinal and transverse oscillations, as the trap turns on with the center of mass of the molecular cloud displaced from the center of the trap [44]. Typical LIF measurements have used an excitation laser with a beam waist

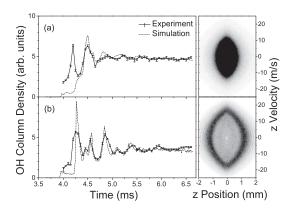


FIG. 4. Measured central column density during the trap loading process with corresponding molecular dynamics simulations. The measured central density is shown by error bars connected by lines to guide the eye and the simulation results are represented by dashed lines. (a) Results from the optimized loading scheme. The final trap configuration is turned on at 4.34 ms. (b) Results from the nonideal loading scheme. The final trap configuration is turned on at 4.30 ms. The plots at the right correspond to the simulated longitudinal phase-space distribution after 15 ms of trapping.

of the order of millimeters. So, the two schemes would produce similar LIF signals, as they have similar numbers of molecules in the same volume even though the local density within the trap is different.

The results of molecular dynamics simulations are also shown for these loading schemes and show good agreement of the time evolution of the central column density. Small mismatches between the results of the simulations and the experimental measurements are likely due to the small inaccuracies in the initial molecular distribution used for the trapping simulations. The simulated final phase-space distribution in the trap for the two loading schemes is shown at the right in Fig. 4. For the optimized loading scheme, the densest portion of the phase-space distribution resides at low energies, whereas the molecules are at higher energies in the nonideal loading scheme. The nonideal loading scheme produces a distribution that would be unsuitable for collision experiments due to its lower number of molecules in the center of the trap and its higher most probable velocity.

In addition to measuring the peak density as a function of time for the loading, we can also measure the dynamics of the density distribution along the *y* axis as shown in Fig. 5. Here, the widths are determined by measuring the ions created as the 118-nm laser is scanned along the *y* axis of the trap. Since the trapping potentials are not well approximated by either a harmonic or a linear potential, an analytic model for the distribution cannot be derived from our trapping potentials, so a Pearson IV function was chosen to describe the distribution [45]. The widths of the experimental and simulated distributions were found by fitting to a Pearson IV function and calculating the full width at half-maximum (FWHM) from the fit parameters (Fig. 6).

For the optimized loading scheme, there are few oscillations in the transverse cloud width or the peak density. However, even after a millisecond in the nonideal case, there are

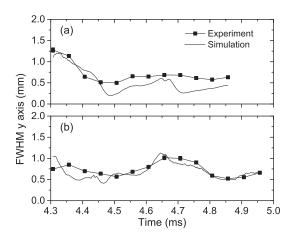


FIG. 5. Width of the trapped OH cloud as a function of time for (a) the optimized loading and (b) the nonideal loading scheme. Squares represent experimental measurements; solid lines represent simulation results. In both cases, the simulations reproduce the modulation in the width of the cloud after it is trapped. The optimized loading scheme results in fewer oscillations in the cloud width. The statistical uncertainty is of the order of the point size or smaller.

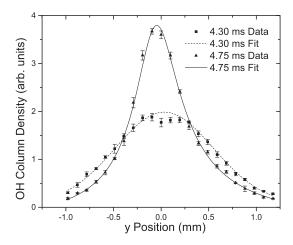


FIG. 6. Measured density profiles of the OH molecules in the trap using the nonideal loading sequence. These data were recorded directly after the trap was loaded (4.30 ms) and at 450 μs later (4.75 ms). Lines are Pearson IV distribution fits to the experimental data. Widths of the experimental density profiles are determined by extracting the FWHM of a Pearson IV distribution fit.

observable oscillations in both the cloud width and the peak density, indicating that the cloud was loaded with excess energy.

B. Ballistic expansion of the OH cloud

With the ability to measure the density profile, the energy distribution can be determined experimentally from the expansion of the molecules after the trapping potentials have been turned off. Although this method of determining the temperature is standard practice in cold-atom experiments, it is not often used in cold-molecule experiments. Previous experiments have measured the ballistic expansion of Rydberg molecules from a moving trap; however, their method is unique to molecules that can be easily field ionized [46,47]. Using REMPI to ionize the molecules provides a more general method to measure energy distributions in cold-molecule experiments.

Figure 7 shows the change in the width of the cloud after the trap turns off for the optimized loading scheme after 15 ms of trapping. We fit the width of the cloud as a function of time to the model $\sigma_y(t) = \sqrt{(\sigma_y(t=0))^2 + (V_{rms}t)^2}$, where $\sigma_y(t=0)$ and $V_{\rm rms}$ (root-mean-square velocity) are fitting parameters, and t is the time after the trap is turned off. Fitting $\sigma_{v}(t)$ to the experimental and simulated results gives transverse $V_{\rm rms}$ values of 5.5 \pm 0.2 and 6.2 \pm 0.2 m/s, respectively. This model assumes that the cloud is at thermal equilibrium and is contained in a harmonic trapping potential. Although neither of these assumptions is satisfied by our system, we use this model to determine a reasonable value for the $V_{\rm rms}$. Additionally, one can calculate the rms velocity using the initial size in the trap and the linear potential energy gradient, while employing the virial theorem. Using this, the rms velocity was calculated for the experimental measurements (5.92 \pm 0.07 m/s) and results of simulations (5.13 \pm 0.02 m/s). These measured velocities correspond to a temperature of 50 mK. All the uncertainties stated are statistical. Because the system does not satisfy the

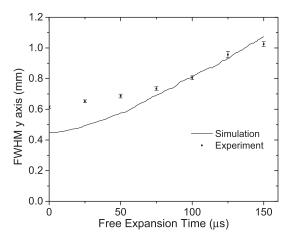


FIG. 7. Width of the cloud as it expands after the trap is turned off. Molecules were trapped using the optimized loading scheme and held for 15 ms before release in both the experiment and the simulation. The initial size of the cloud in the trap differs between the experiment and the simulations. This is likely due to the lack of knowledge of the initial distribution of molecules leaving the decelerator.

conditions of thermal equilibrium or harmonic trapping, the systematic uncertainties likely dominate over the statistical ones. However, all measurements are self-consistent, leading to reasonable confidence in the results.

VI. CONCLUSION

Cold, trapped samples of OH molecules could be a useful starting point to explore molecular interactions and cold chemistry. Being able to characterize the trapped samples beyond just the total number trapped will be important for these studies. Using a recently developed 1 + 1' REMPI scheme, we have been able to measure the nonuniform density distribution in a trapped sample of OH. This detailed information has allowed us to optimize the loading of OH into an electrostatic trap. Additionally, the new measurement technique provides information about the trapped molecules' energy distribution from the in-trap cloud size and from the rate of expansion after the trapping fields have been turned off. Previously, these dynamics of trapped OH molecules have been inferred from simulations, but never before have they been observed in experiments.

Future work utilizing this detection method includes studying collisions between OH and ultracold Rb atoms. Measuring the density distribution of trapped OH molecules will allow for experimental determination of elastic and inelastic scattering cross sections in the cold-molecule–ultracold-atom system. These measured cross sections will help to improve theoretical models of atom-molecule collisions in the 100 mK temperature regime.

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